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## Experimental Study and CFD Modeling of the Ohmic Heating Process in a Static Two-Phase Biosolid – Liquid System

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### Abstract

*The effective parameters on Ohmic heating in static system containing biosolid-water were studied. The effects of distribution of particles, salinity and electric field strength on electrical conductivity, profiles of temperature, heat generation have been investigated.*

*The experimental data verification with simulation results using computational fluid dynamics (CFD) method were carried out. Governing equations (heat transfer and electrical equations) were discretized with finite element method.*

*The experimental data and CFD results showed that in Ohmic heating process, the current diffusion in all the products is faster than traditional methods and the diffusion rates are equal for both biosolid-liquid phases.*

**Keywords:** *Ohmic Heating, Biosolid-Liquid, CFD, Electrical Conductivity, Salinity, Electrical Field Strength*

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### 1. Introduction

The study of heat transfer into foods is of great importance, because heat processing is the most common technique used for preservation today. Electrical and electro-thermal methods such as microwave, Ohmic heating and pulsed electric field are very interesting processes in foods and biomaterials processing [1]. Ohmic heating is a novel direct heating method as electrical currents pass through materials to heat them. Ohmic heating occurs when an electric current is passed through food, resulting in a temperature rise in the product due to the conversion of the electric energy into heat (Joule effect). Most foods contain ionic

components such as salts and acids. Therefore, electrical current can pass through the foods and generate heat inside them [2].

The main advantages of Ohmic heating process are the rapid and relatively uniform heating with lower capital cost compared to the other electro-heating methods such as microwave and radio frequency heating [3]. This method allows rapid heating of both liquid and particulate (up to 25 mm in size) products [4]. No large temperature gradients develop within the product because of the volumetric nature of Ohmic heating. In addition, process times substantially reduce in comparison with the conventional heating. Ohmic heating prepares products with higher quality, particularly with respect to product integrity, flavor and nutrient retention [5].

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Ohmic heating technology has been accepted by the industries for processing of liquids and solid liquid mixture [6].

The rate of Ohmic heating is directly proportional to the square of the electric field strength and the electrical conductivity. The critical property which effects on the Ohmic heating is the electrical conductivity of the food. Variation of the salinity, pH and applied electrical power during the Ohmic heating may alter the electrical conductivity [1].

Design, scale up and optimization of heating technology require the knowledge of transport phenomena such as heat transfer. While there are several experimental procedures for optimizing the operating conditions, the use of computational fluid dynamic (CFD) tools for providing valuable information about the mentioned conditions have attracted considerable attention in recent years.

To ensure a completely safe Ohmically cooked product, a model of the thermal process should first be developed to identify possible hot and cold spots, to quantify heat losses and to evaluate the influence of key variables such as electrical field strength and sample conductivity [5]. Several models have been developed based on Ohmic heating of solid liquid mixtures and experimentally validated for single particle in a static heater [2,3]. There are some models for multiple Particle systems in both static and continuous flow of Ohmic heaters [4,7,8].

The aim of this paper is experimental investigation and CFD simulation on the influences of effective parameters such as electrical conductivity, salinity and electric field strength on the Ohmic heating process.

Also, experimental data were compared with CFD modeling results.

## **2. Experiments**

### **2-1. Hydrocolloid solution preparation**

Starch was used to make a hydrocolloid solution. Starch is a neutral polysaccharide, so heating process has minimum impact on it. Therefore, it was used to study the effects of electrolyte content on the Ohmic heating rate. For this purpose, two types of hydrocolloid solutions (without and with electrolyte) were prepared.

### **2-2. Hydrocolloid solution preparation without electrolyte content**

A sample of commercial starch was obtained and three concentrations of hydrocolloid were prepared in distilled water. Hydrocolloid powder was first solubilized in distilled water using a high speed blender (500 rpm) for 8 minutes. When suspension transparency increased the starch granules swelled. The gelatin was unified by mixing for 5 minutes and then it was put in a refrigerator to decrease its temperature (below 20°C).

### **2-3. Hydrocolloid solution preparation with electrolyte content**

In order to study the effect of electrolyte content, Sodium Chloride (salinity criterion) and 0.05 M Citric acid were used. Starch powder (3.3, 4 and 5.5%) were weighed and thoroughly mixed with the appropriate amounts of salt (NaCl) to prepare the final concentrations (0.25, 0.5, 0.75 and 1%) before incorporating into hot water (at 80°C). The dry mixture of salt-hydrocolloid was slowly solubilized in hot water using blender and heated on a hot plate until it reached 65-

70°C. Mixing was continued to complete the gelatinization and then cooled.

The Citric acid (0.05 M) was used to study the effect of pH level of hydrocolloid solutions on Ohmic heating process. The capacity of Ohmic heating cell was 2000 mL. Initially 1970 mL of starch solution with concentration of 8% was prepared and 30 mL of acid was then added. In the next step, the solution was mixed (for 20 minutes) and then cooled.

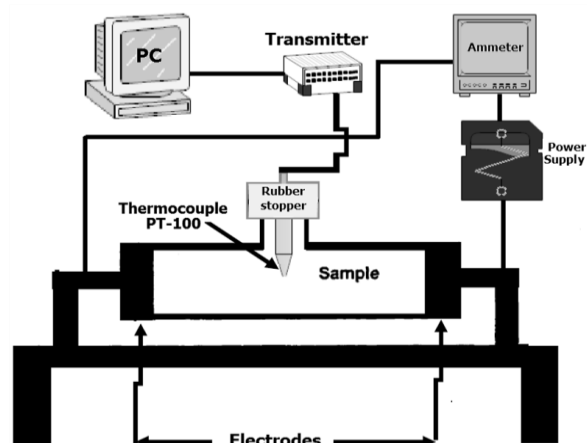
#### 2-4. Experimental device

The static Ohmic heating cell used in the experiment is made of a Pyrex glass cylinder T-tube, 6.31 cm diameter in which a sample volume was introduced between two stainless steel electrodes. The cross-sectional surface area of electrodes was 28.84 cm<sup>2</sup>. The gap between the electrodes was 59.5 cm. PT-100 type thermocouples coated with Teflon to prevent interference with the electrical field were fitted at the cylinder. Voltage and AC Current were supplied and controlled by a power unit which included a variable Transformer. Thermal lags due to Teflon coating of the thermocouple were corrected using data from preliminary Calibration experiments involving comparison with a certified mercury-in-glass thermometer and a portable tool which have the ability to measure temperature and pH (WTW, pH/Temp, and model 340i, Germany). Voltage and current values of solution were measured by a digital multimeter (G<sub>w</sub>INSSTEK, GDM-8034). For time-temperature processing, thermocouple was connected to a Transmitter (4NX, Process Temperature controller, Hany Oung Product, China) along with a converter (NEX-CV30) that is connected to the computer.

#### 2-5. Electrical conductivity measurement

A schematic diagram of the electrical circuitry is shown in Fig. 1. AC current field strength (5.04 kV/m) was applied to induce Ohmic heating. A T-Type thermocouple coated with Teflon was fitted at the geometric centre of the cylinder. 2000 mL of sample was entered into the cylinder. The sample was heated from 20 to 100°C using an AC (with frequency of 60 Hz) at a constant voltage of 300 V. Temperature-time values were recorded in a transmitter with a converter that was connected to the computer. For each experiment, voltage and current values were used to calculate the electrical conductivity and it was plotted against temperature. The electrical conductivity was calculated using the cell dimensions, voltage and current using the following equation [5]:

$$\sigma = \left(\frac{1}{R}\right)\left(\frac{L}{A}\right) \quad (1)$$



**Figure 1.** Circuit of the static Ohmic heating cell for electrical conductivity measurement.

where L, A and R are gap between the electrodes (cm), cross-sectional surface area of the electrodes (cm<sup>2</sup>) and sample resistance (Ω), respectively.

## 2-6. Heating procedure

An AC power (5.04 kV/m) was applied to induce Ohmic heating. Five T-Type thermocouples coated with Teflon were perpendicularly fitted to the cylinder (Fig. 2). Two thermocouples were placed close to each electrode. Two thermocouples were placed between the centre of the cylinder and the electrodes in each direction and one thermocouple was exactly placed at the centre.

## 3. CFD modeling

In order to generate heat in an Ohmic heating system, an electric field should be applied. The electric field (voltage distribution) is a function of the electrode and system geometry, electrical conductivity and the used voltage.

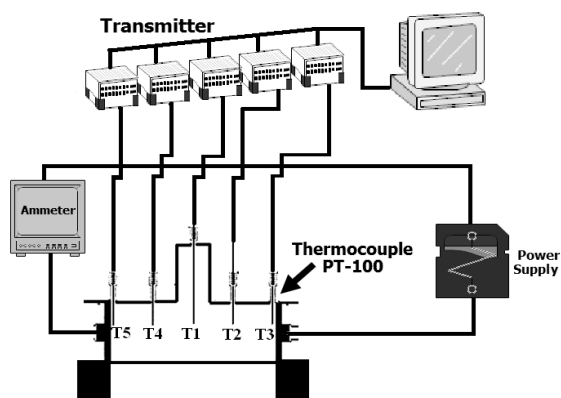


Figure 2. Static Ohmic unit cell (cylindrical Teflon cell and five thermocouples).

### 3-1. Governing equations

The electric field is determined by the Laplace's equation as shown in the following [3,4]:

$$\nabla \cdot (\sigma_i \cdot \nabla V) = 0 \quad (1)$$

where  $\sigma$  and  $\nabla V$  are the electrical

conductivity and voltage gradient, respectively. This equation was obtained by combination of Ohm's law and the continuity equation for electric current. It usually is expressed as the following equation because  $\sigma$  is a function of both position and temperature.

$$\nabla^2 V = 0 \quad (2)$$

De Alwis and Fryer [2] solved this equation for a static Ohmic heater in a single particle system with the boundary conditions as uniform voltage on the electrodes and there is no current flux across the particle. In this case, the electric field was predicted based on semi empirical models with the following boundary conditions:

$$V|_{z=0} = V_0 \quad V|_{z=L} = V_L \quad (3)$$

For many biomaterials, the electrical conductivity ( $\sigma$ ) is assumed linearly dependent on temperature and expressed as follows:

$$\sigma = \sigma_0(1 + mT) \quad (4)$$

Temperature distribution in a heater containing a static medium and an inclusion particle is governed by thermal conduction with internal energy generation. Thermal balances for the static medium and the inclusion particle are given as shown below, respectively:

$$\nabla \cdot (k_f \cdot \nabla T) + \dot{q}_f = \rho_f C_{pf} \frac{\partial T_f}{\partial t} \quad (5)$$

$$\nabla \cdot (k_s \cdot \nabla T) + \dot{q}_s = \rho_s C_{ps} \frac{\partial T_s}{\partial t} \quad (6)$$

In order to Ohmically heat a food, it is necessary to pass electrical current through it.

The heat generated in the food by that current ( $\dot{q}$ ) is proportional to the square of its intensity (I), the proportionality constant being the electrical resistance (R), thus yielding:

$$\dot{q} = R * I^2 \quad (7)$$

Alternatively, if both electrical conductivity ( $\sigma$ ) and voltage gradient ( $\nabla V$ ) are known, it is possible to write the heat generation terms as follows.

$$\dot{q}_f = |\nabla V|^2 \sigma_{0f} (1 + m_f T_f) \quad (8)$$

$$\dot{q}_s = |\nabla V|^2 \sigma_{0s} (1 + m_s T_s) \quad (9)$$

Equations (8) and (9) are subject to an initial condition (10) and an external boundary condition, which is governed by convection to the surroundings (9):

$$T_f = T_s = T_i \quad \text{at} \quad t=0 \quad (10)$$

$$-k_f \cdot \nabla T \cdot \bar{n} = U(T_f - T_{amb}) \quad (11)$$

where  $\bar{n}$  and U are unit normal vector and overall heat transfer coefficient.

### 3-2. Numerical methodology

The governing equations have been discretized based on finite element method. Discretized equations have been solved with software package Comsol Multiphysics [9]. This software runs the finite element analysis alongside adaptive meshing and error control using a variety of iterative numerical solvers. It generates a mesh that is tetrahedral in shape and isotropic in size. The direct solver UMFPACK is employed because it is preferable for 1D and 2D

models. It employs the COLAMD and AMD approximate minimum degree reordering algorithms to permute the columns so that the fill-in is minimized.

The empirical parameters obtained from the experimental results in Table 1 and 2 have been used to simulate the Ohmic heating process. Linear regression analysis ( $R^2$ ) is greater than 0.99 and the corresponding linear model for electrical conductivity changes with temperature in the sample.

## 4. Result and Discussion

### 4-1. Effect of electrical conductivity

Fig. 3 shows effects of temperature and concentration of particles on electrical conductivity. As shown in this figure, electrical conductivity increased with increasing temperature and concentration. Most electrical conductivity was obtained when hydrocolloid solution with concentration of 1% was used. Electrical conductivity linearly increased with increasing temperature. Furthermore, electrical conductivity increased with increasing the salt concentration. This output's results are verified by literature data [2,10,11].

In Table 3, the electrical conductivity value was calculated in the temperature range 20 to 80°C with three concentrations of salt. The electrical conductivity for hydrocolloid solution (3.3% concentration) with 1% salt at 80°C was equal to 3.526 (S/m) and with 1% salt at the same temperature was 2.6546 (S/m). By increasing the amount of salt, the mobility of ions increase and therefore the electrical conductivity of the solution increased.

**Table 1**

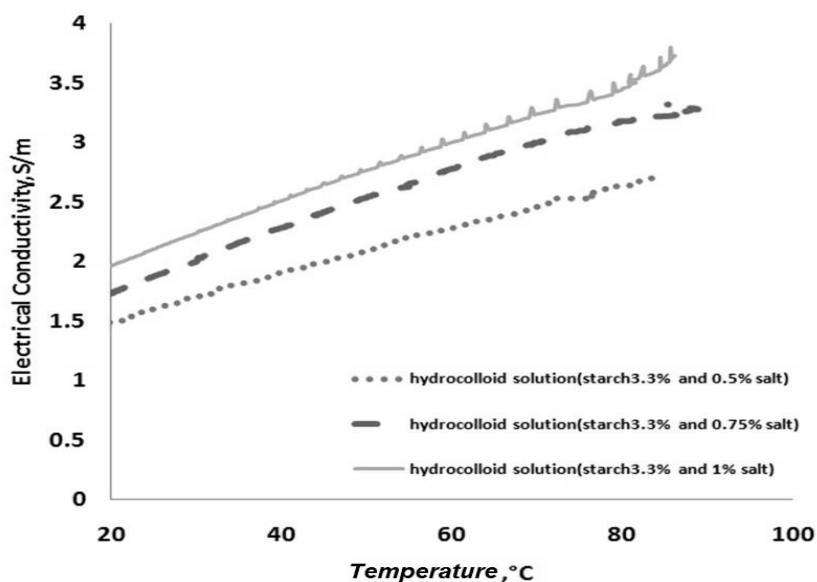
The best linear relationship between electrical conductivity and thermoelectric properties [12] - the physical function of temperature with temperature coefficients for solution starch 3.3% salt with 0/5%.

Property	Curve fitting (T)	R <sup>2</sup>	Unit
Electrical conductivity ( $\sigma$ )	$\sigma=0.0139T + 0.7825$	0.9992	S / m
Specific heat (Cp)	$C_p=0.2857T^2-36.804 T+ 4227.2$	0.9566	W / (m <sup>2</sup> .K)
Current density (J)	$J=6.9503T+392.56$	0.9992	A / m <sup>2</sup>

**Table 2**

Physical parameters used in simulation.

Property	Value	Unit
Electrical conductivity at 25°C	1.1302	S/m
Temperature coefficient electrical conductivity	0.014	1/°C
Heater length (L <sub>H</sub> )	59.5	Cm
Heater diameter (D <sub>h</sub> )	6.31	Cm
Voltage gradient ( $\Delta V$ )	5.04	KV/m
Applied Voltage (V)	200, 220, 240, 260, 280, 300	V



**Figure 3.** Effects of temperature and concentration of particles on electrical conductivity of colloidal solution with 3.3% starch and with different concentrations of salt.

**Table 3**

Electrical conductivity values at different temperatures for 3.3% starch solution with a salt concentration 1, 0.75 and 0.5%.

	Salt (0.5%)	Salt (0.75%)	Salt (1%)
Temperature (°C)	conductivity±SD	conductivity±SD	conductivity±SD
20	1.5146±0.034	1.782±0.071	2.014±0.0796
30	1.7046±0.035	2.023±0.048	2.266±0.051
40	1.8946±0.014	2.264±0.0154	2.518±0.025
50	2.0846±0.049	2.505±0.097	2.77±0.006
60	2.2746±0.0209	2.746±0.034	3.022±0.006
70	2.4646±0.041	2.987±0.056	3.274±0.024
80	2.6546±0.059	3.228±0.074	3.526±0.048

In general, electrolytic conduction load is carried by ions, so ionization to solution causes increase in the electrical conductivity. Kinetic energy of ions increases with increasing temperature and so conductive electrolyte resistance generally decreases with increasing temperature and will result in increasing temperature in the solution.

Palaniappan and Sastry [2] for biomass systems under Ohmic process reported that electrical conductivity is a linear function of temperature and is expressed as the following equation:

$$\sigma = \sigma_{ref}[1 + m(T - T_{ref})] \quad (12)$$

Fryer *et al.* [13] stated the linear solution with higher viscosity differently:

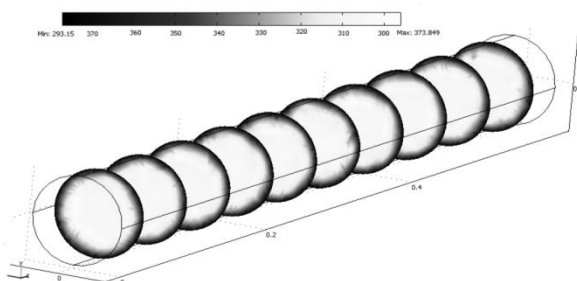
$$\sigma = \sigma_0 + m(T) \quad (13)$$

Value of  $\sigma_0$  in zero degrees Celsius temperature is defined, but results of electrical conductivity is generally not reported at zero degrees Celsius. High temperature dependence of electrical conductivity increases with increasing the temperature of the ions in the conductor. Electrical conductivity of the solution as a function of temperature and concentration

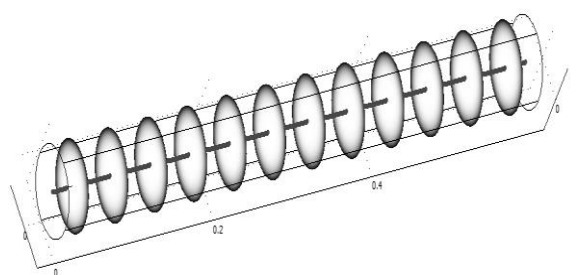
using equation 12 at 25°C as reference temperature has been calculated empirically and shown in Tables 2 and 3. Each value represents the average of two repetitions and the standard deviation obtained from two repeated tests for special experimental circumstances.

The CFD modeling results for temperature distribution in static cells under Ohmic heating process in three dimensional for a hydrocolloid solution of 3.3% starch with 0.5% sodium chloride have been shown in the Fig. 4. In this figure, changes in heating system can be observed. Variation of the temperature is the result of effects of pre-heating in the process. Uniform heating can be seen. It is clear that the wall surface temperature is less, so due to lack of hot surfaces and heat transfer surfaces of the particles deposited and burned into the final product was dropped. The temperature distribution for the radial and horizontal slices have been shown in Figs. 5 and 6. Fig. 7 shows changes in temperature profiles in the horizontal cutting. It can be observed that temperature changes at any time in the center of the sample were quite uniform and temperature in solution increases with time. Over time, a more uniform Ohmic heating

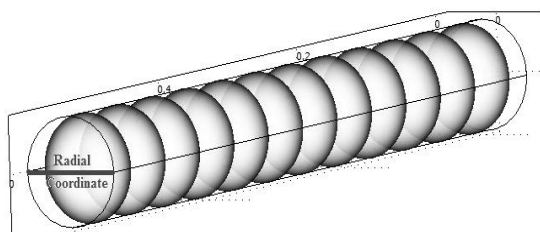
process is observed. Heating was uniform throughout the samples with exponential errors even though there was no mixing in the static.



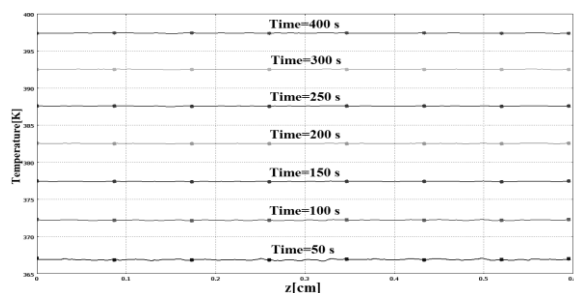
**Figure 4.** Temperature cut-off to Ohmic cell colloidal 3.3% starch solution with 0.5% of salt after 300 seconds.



**Figure 5.** Horizontal cutting to Ohmic cell colloidal 3.3% starch solution with 0.5% of salt after 300 seconds.



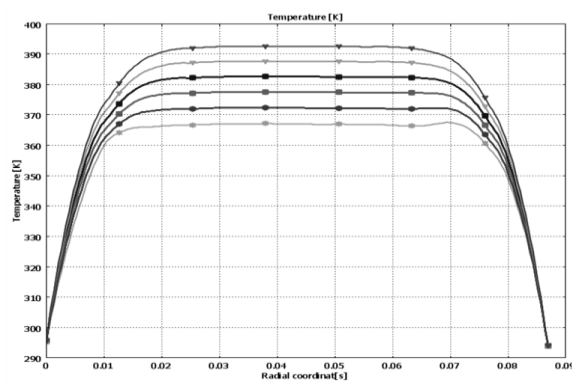
**Figure 6.** Radial cutting to Ohmic cell colloidal 3.3% starch solution with 0.5% of salt after 300 seconds.



**Figure 7.** Profile of temperature changes in a horizontal cut to the colloidal 3.3% starch solution with 0.5% of salt.

From Fig. 8, a clear trend of increasing temperature can be seen, the temperature of the solution increases particle-liquid over time. When the electrical conductivity for liquid is more, particle temperature will rise faster and occur in a shorter time. It is concluded that Ohmic heating process unlike the other heating processes increases the temperature in a shorter time when the concentration of solid particles increases. The current canals in the solution became more complicated when the solid particles content increased. This leads to higher density of current that passes through solid particles. This phenomenon causes more energy production and higher heating rate inside the solution particles.

From the Figs. 7 and 8, it was concluded that the current diffusion in product is faster than traditional methods and there was an equal rate for both liquid-solid phases. Therefore, maintaining the flavor of the product de-vitamins and other nutrients is a better and more Market-friendly product.



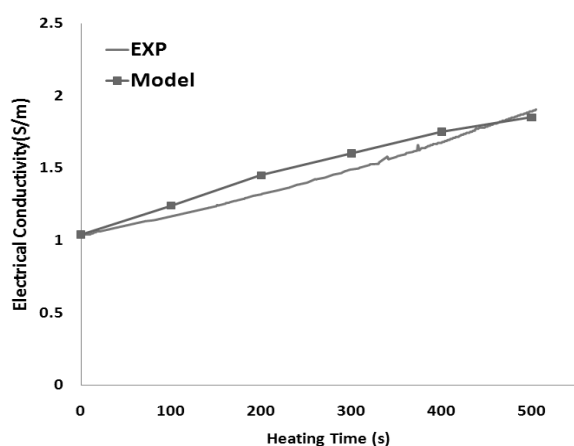
**Figure 8.** Profile of temperature changes in a radial cut to the colloidal 3.3% starch solution with 0.5% of salt.

#### 4-2. Effect of salt concentration

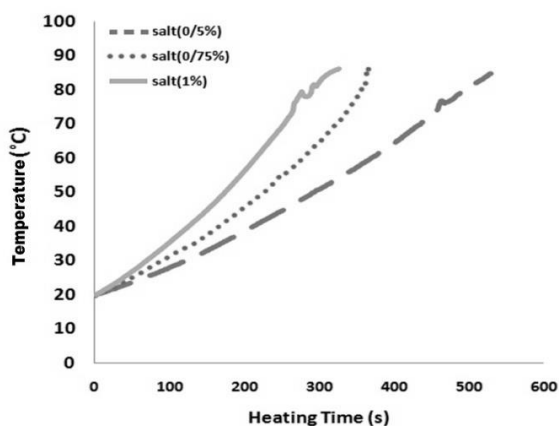
Fig. 9 shows changes in electrical conductivity profiles for solution starch hydrocolloid (3.3% concentration) with 0.5%



of sodium chloride salt. It was observed that the increase in electrical conductivity as mentioned is linear and matches well with the experimental results. Solution starches (3.3%) with salt (0.5, 0.75, and 1% concentration) were studied experimentally to examine the salinity or electrolyte content on the rate of heating in Fig. 10.



**Figure 9.** Profile of electrical conductivity changes with time; comparing the experimental data and CFD modeling results.



**Figure 10.** Effect of salt on the temperature profiles for the colloid solution (3/3%) with 0.5, 0.75 and 1% of salt

Results showed that when the salt concentration increases to 1%, electrical conductivity and Ohmic heating rates will be affected and hydrocolloid solution is less

effective than salt [10,12], also, lower salt concentration requires more time to reach 80°C.

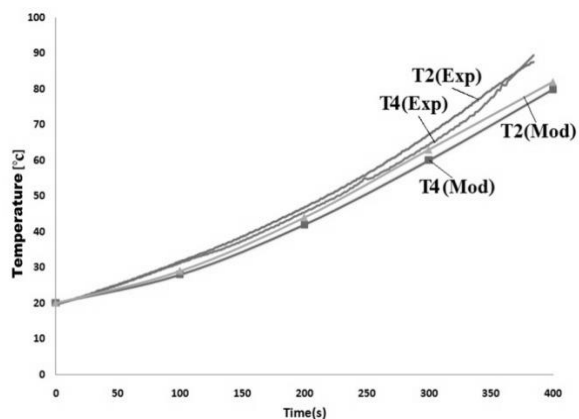
As can be observed in Fig. 10, higher salt content in the solution increases the temperature in a shorter time than without salt. According to the results, it can be seen that for the solution with concentration of salt (1%) the temperature reaches 70°C during 253 seconds that can optimize the energy and time.

Fig. 11 compares temperature profiles for the simulation and experimental results for colloidal solution of 3.3% along with 0.5% sodium chloride. Comparing two places and two points in the cell geometry which places the model in Fig. 1 is clear, there has been a good match.

#### 4-3. Effect of electric field strength

Effect of electric field strength (applied voltage) on the Ohmic heating process was investigated. For this aim, six voltages (200, 220, 240, 260, 280, and 300 volts) were used for the colloid starch 3/3% with sodium chloride concentration of 0/5%.

Table 4 shows the effects of applied voltage on the Ohmic heating process. The deviation from Ohm's law was not seen at any temperature for this result. Increasing the temperature results in the reduction of resistance of the sample. These data are consistent not only with Ohm's law but also to ensure all of its conditions are complied with.



**Figure 11.** Comparing the results of CFD modeling with experimental data for Solution starch (3.3%) with 0.5% of salt

According to Table 4, it can be seen that with increasing voltage, the current through the solution will be increased. For example, at 20°C, the current through the voltage (200, 220, 240, 260, 280, and 300 volts), respectively, 1.49, 1.23, 1.12, 1, 0.8 and 0.77 amperes were observed, which indicate the

**Table 4**

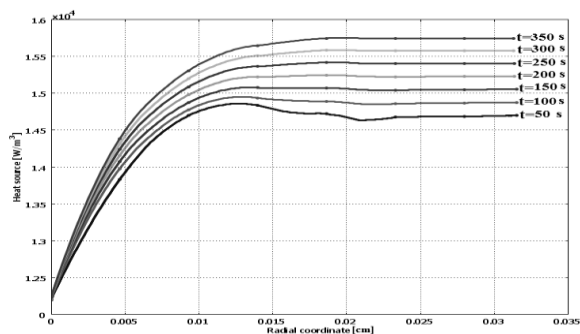
Values, current strength, flow rate and energy density for the colloidal solution of 3/3% with 0/5% salt in different voltages (V) and temperatures (T).

V=200				V=220			V=240		
T(°C)	I(A)	Q( $\frac{KW}{m^3}$ )	J( $\frac{A}{cm^2}$ )	I(A)	Q( $\frac{KW}{m^3}$ )	J( $\frac{A}{cm^2}$ )	I(A)	Q( $\frac{KW}{m^3}$ )	J( $\frac{A}{cm^2}$ )
20	0.77	7.27	2.43	0.89	11.42	3.1164	1	14.01	3.5
30	0.9	9.93	3.06	1.02	13.096	3.57	1.16	16.25	4.06
40	1.01	12.51	3.64	1.13	15/51	3.96	1.31	18.35	4.59
50	1.12	15.38	4.25	1.25	16.05	3/48	1.45	20.31	5.08
60	1.22	18.25	4.84	1.37	17.59	4.79	1.6	22.41	5.6
70	1.32	21.36	5.44	1.49	19.13	5.18	1.73	24.23	6.06
V=260				V=280			V=300		
T(°C)	I(A)	Q( $\frac{KW}{m^3}$ )	J( $\frac{A}{cm^2}$ )	I(A)	Q( $\frac{KW}{m^3}$ )	J( $\frac{A}{cm^2}$ )	I(A)	Q( $\frac{KW}{m^3}$ )	J( $\frac{A}{cm^2}$ )
20	1.12	16.66	3.92	1.23	20.1	3/41	1.49	26.09	5.22
30	1.29	19.57	4.52	1.44	23.53	04/5	1.75	30.64	6.13
40	1.47	22.31	5.15	1.61	26.31	5.64	1.93	33.79	6.76
50	1.63	24.73	5.71	1.77	28.92	6.2	2.13	37.3	7.46
60	1.77	26.86	6.2	1.93	31.54	6.76	2.29	40.09	8.02
70	1.95	29.59	6.83	2.1	33.42	7.35	2.49	43.6	8.72

importance of compliance with Ohm's law and increasing the voltage.

The highest current density was observed in the voltage 300 volts from 5.22 [ $A/cm^2$ ] at 20°C to 72.8 amps per square cm at 70°C and the minimum current density in the voltage, 200 in the 2.43 to 5.44 [ $Amps/cm^2$ ] in the temperature range from 20 to 70°C. The rate of energy generation in 300 V (26.09 to 43.6), 280 V (20/1 to 34/32), 260 V (16.66 to 29.59), 240 (14.01 to 24.23), 220 V (11.42 to 19.13) and 200 V (7.27 to 21.36) [ $kw/m^2$ ] were observed.

In 260 volt as applied voltage, CFD modeling results for the energy generation rate in a radial cut at different times were shown in Fig. 12. The cells move toward the center of much higher energy generation and in the center of the cell will reach to a constant value.



**Figure 12.** Rate of heat generation with applied voltage (260v) from CFD modeling results.

In Fig. 13 the process of increasing temperature profiles shows various voltages. Good agreement between experimental and simulation results are observed.

## 5. Conclusions

In this paper, the effects of distribution of particles, salinity and electric field strength on electrical conductivity, profiles of temperature, heat generation have been investigated. Experimental data were compared with simulation results. Governing equations have been discretized with finite element method. Results showed that electrical conductivity increased with increasing temperature and concentration of particles. Also, when the salt concentration increases to 1%, electrical conductivity and

Ohmic heating rates will be affected and hydrocolloid solution is less effective than salt.

This showed higher proficiency for the Ohmic heating process compared with other heating processes.

## Nomenclature

A	Electrode surface [cm <sup>2</sup> ]
C	Specific heat [J/kg K]
I	Current [ampere]
J	Current density u [amp/cm <sup>2</sup> ]
k	Thermal conductivity [W/m K]
L	Gap between the electrodes [cm]
q	Heat generation [W/m <sup>2</sup> ]
R	Sample resistance [Ω]
T	Temperature [K]
t	Time (sec)
V	Voltage [volt]

## Greek letters

$\sigma$	Electrical conductivity [S/m]
$\rho$	Density [kg/m <sup>3</sup> ]

## Subscripts

f	fluid
s	solid

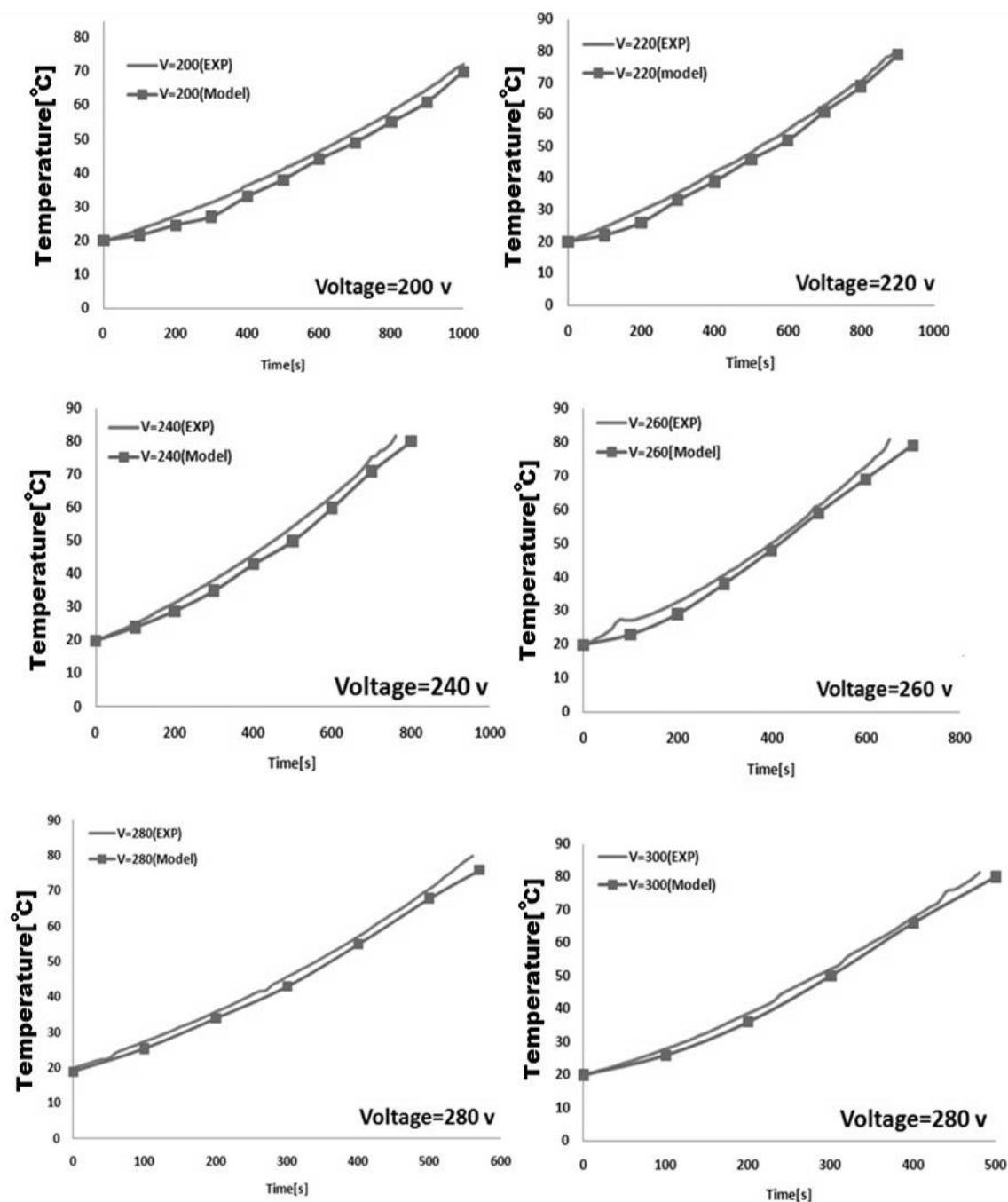


Figure 13. Profiles of temperature versus time for a colloidal solution of 3.3% with 0.5% salt at different voltage.

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